# Nonlinear Interactions between Climate and Atmospheric Carbon Dioxide Drivers of Terrestrial and Marine Carbon Cycle Changes from 1850 to 2300

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#### Introduction

- Quantifying carbon cycle feedbacks with Earth's climate system is important for predicting future atmospheric CO<sub>2</sub> levels and informing carbon management and energy policies.
- We applied a **feedback analysis framework** to three sets of long-term climate change simulations to quantify drivers of terrestrial and ocean responses of carbon uptake.
- We found that the strength of the climate–carbon cycle feedback gain (g) was dependent upon the type of simulation used to derive the temperature sensitivity parameters ( $\gamma$ ).

### Methods

(a)

(b)

RAD + BGC

 $-(\Delta RAD + \Delta BGC)/\Delta FC = -0.43$ 

 $-(\Delta RAD + \Delta BGC)/\Delta FC = 1.15$ 

Figure 1: (a) The prescribed atmospheric CO<sub>2</sub> mole

fraction was stabilized at 1962 ppm after 2225. (b) Near-

surface air temperature increased in all three simula-

tions by the end of the 23rd century. (c) Net ocean up-

take decreased in the RAD simulation, but increased in

the BGC and FC simulations. (d) Net land uptake was

more variable than net ocean update, and it increased

in the BGC and FC simulations and decreased in the

Climate-Carbon Cycle Drivers and Uptake (1850–2300)

Simulations were performed with the NSF-DOE Community Earth System Model version 1.0 (CESM1(BGC)) for three different radiative and biosphere coupling configurations without land use change. The standard protocol from the Fifth Phase of the Coupled Modeling Intercomparison Project (CMIP5) was followed for the period 1850–2300:

- Historical for 1850–2005,
- Representative Concentration Pathway 8.5 (RCP8.5) for 2006–2100, and
- Extended Concentration Pathway 8.5 (ECP8.5) for 2101–2300.

All three simulations were forced with the same prescribed CO<sub>2</sub> mole fraction trajectory as shown in Figure 1(a).

**Table 1:** Three 451-y CESM1(BGC) simulations, employing different coupling configurations, were analyzed.

	Radiative Coupling		Biosphere Coupling		
Simulation Identifier	CO <sub>2</sub>	Other GHG & aerosols	CO <sub>2</sub>	Nitrogen deposition	
RAD	<b>√</b>	<b>√</b>	_	_	_
BGC	_	_	$\checkmark$	$\checkmark$	_
FC	✓	✓	$\checkmark$	$\checkmark$	_

Schwinger et al. (2014) derived formulas for calculating feedback parameters from a pair of model experiments. The concentration—carbon feedback parameters can be determined from the FC and RAD simulations as follows,

$$\beta^{\text{FC-RAD}} = \frac{\Delta C^{\text{FC}} \Delta T^{\text{RAD}} - \Delta C^{\text{RAD}} \Delta T^{\text{FC}}}{\Delta \text{CO}_2 \, \Delta T^{\text{RAD}}}, \tag{1}$$

and the FC and BGC simulations can be used to derive the climate—carbon feedback parameters as follows,

$$\gamma^{\text{FC-BGC}} = \frac{\Delta C^{\text{BGC}} - \Delta C^{\text{FC}}}{\Delta T^{\text{BGC}} - \Delta T^{\text{FC}}}.$$
(2)

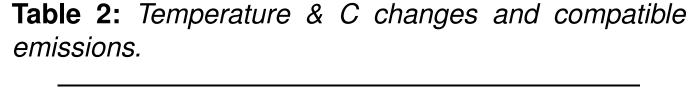
The overall climate—carbon feedback gain (*g*) can be related to feedback sensitivity parameters as follows,

$$g = \frac{-\alpha \left(\gamma_O + \gamma_L\right)}{\left(m + \beta_O + \beta_L\right)},\tag{3}$$

where  $\alpha$  is the sensitivity of the global mean near-surface air temperature to cumulative changes in atmospheric CO<sub>2</sub> in units of Kppm<sup>-1</sup>, m is a constant (2.12 Pg C ppm<sup>-1</sup>).

We developed a metric to gauge the nonlinearity of drivers and model responses as follows,

$$M_{NI} = 1 - \frac{(\Delta RAD + \Delta BGC)}{2}$$

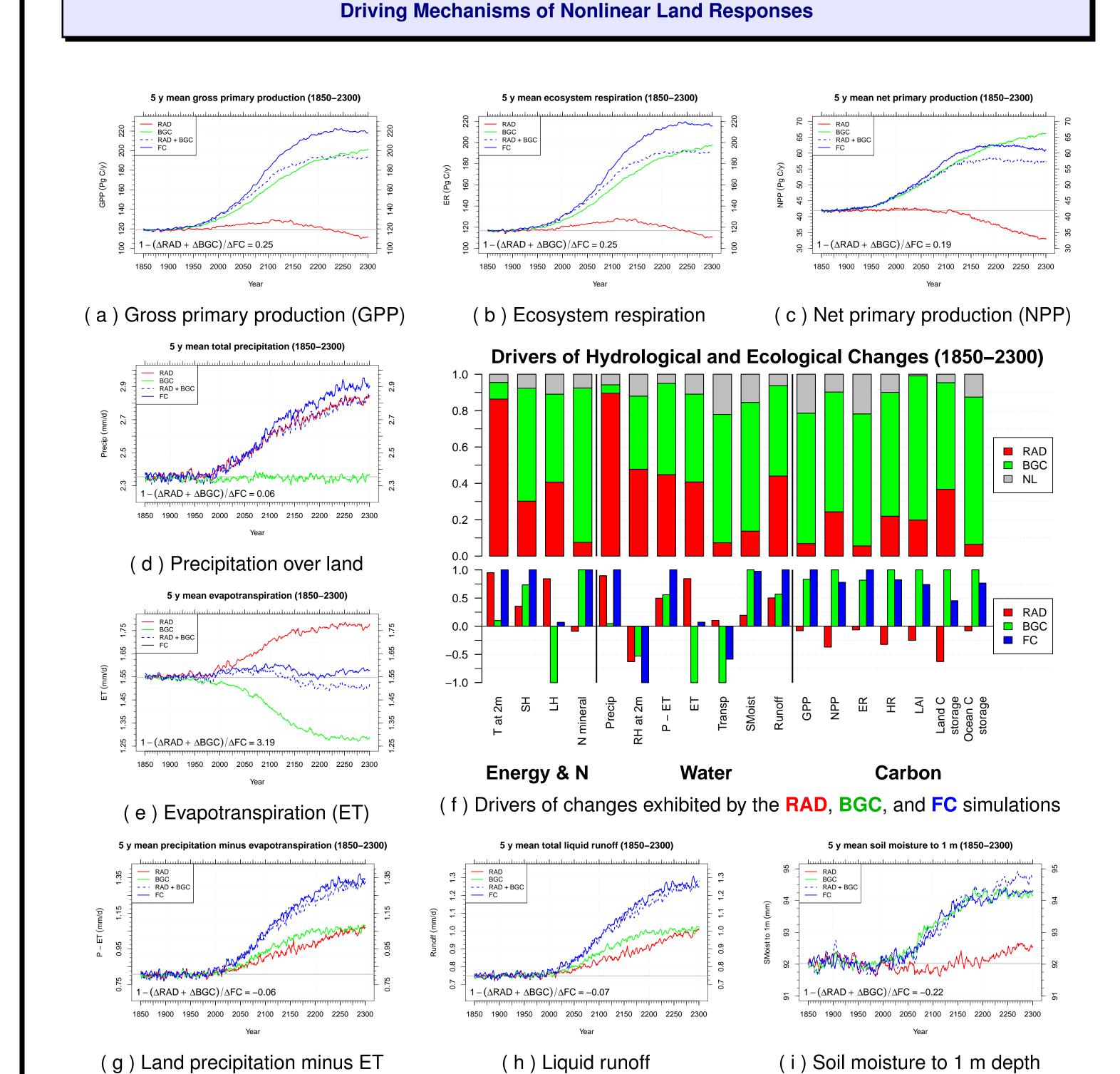


	Time (year)						
Variable	2100	2200	2300				
$[\mathrm{CO}_2]_A$ (ppm)	936	1829	1962				
	Time Period (years)						
Variable	1850–2100	1850–2200	1850–2300				
$\Delta T_{2\mathrm{m}}^{\mathrm{RAD}}$ (K)	4.76	7.46	8.90				
$\Delta T_{2\mathrm{m}}^{\mathrm{BGC}}$ (K)	0.50	0.87	0.99				
$\Delta T_{2\mathrm{m}}^{\mathrm{FC}}$ (K)	4.92	8.11	9.41				
$\Delta C_O^{ m RAD}$ (Pg C)	-19	-62	-113				
$\Delta C_O^{ m BGC}$ (Pg C)	519	1050	1414				
$\Delta C_O^{ m FC}$ (Pg C)	475	866	1082				
$\Delta C_L^{ m RAD}$ (Pg C)	-100	-275	-430				
$\Delta C_L^{ m BGC}$ (Pg C)	276	529	687				
$\Delta C_L^{ m FC}$ (Pg C)	213	336	309				
$E_C^{ m BGC}$ (Pg C)	2180	4862	5663				
$E_C^{ m FC}$ (Pg C)	2072	4486	4955				

**Table 3:** Climate—carbon cycle feedback parameters and gains.

	Time Period (years)				
Parameter	1850–2100	1850–2200	1850-2300		
$\alpha$ (K ppm $^{-1}$ )	0.0075	0.0052	0.0056		
$eta_O^{ m BGC}$ (Pg C ppm $^{-1}$ )	0.80	0.68	0.84		
$eta_O^{ ext{FC-RAD}}$ (Pg C ppm $^{-1}$ )	0.76	0.60	0.71		
$eta_L^{ m BGC}$ (Pg C ppm $^{-1}$ )	0.42	0.34	0.41		
$eta_L^{ ext{FC-RAD}}$ (Pg C ppm $^{-1}$ )	0.48	0.39	0.44		
$\gamma_O^{ m RAD}$ (Pg C K $^{-1}$ )	-4.06	-8.26	-12.69		
$\gamma_O^{ ext{FC-BGC}}$ (Pg C K $^{-1}$ )	-10.06	-25.47	-39.37		
$\gamma_L^{ m RAD}$ (Pg C K $^{-1}$ )	-21.09	-36.54	-48.25		
$\gamma_L^{ ext{FC-BGC}}$ (Pg C K $^{-1}$ )	-14.05	-26.69	-44.77		
$g(\beta^{\mathrm{BGC}}, \gamma^{\mathrm{RAD}})$	0.056	0.075	0.101		
$g(\beta^{ ext{FC-RAD}}, \gamma^{ ext{RAD}})$	0.056	0.075	0.104		
$g(\beta^{\mathrm{BGC}}, \gamma^{\mathrm{FC-BGC}})$	0.054	0.087	0.139		
$g(\beta^{ ext{FC-RAD}}, \gamma^{ ext{FC-BGC}})$	0.053	0.087	0.144		
$g(E_C^{\mathrm{BGC}}, E_C^{\mathrm{FC}})$	0.051	0.084	0.145		

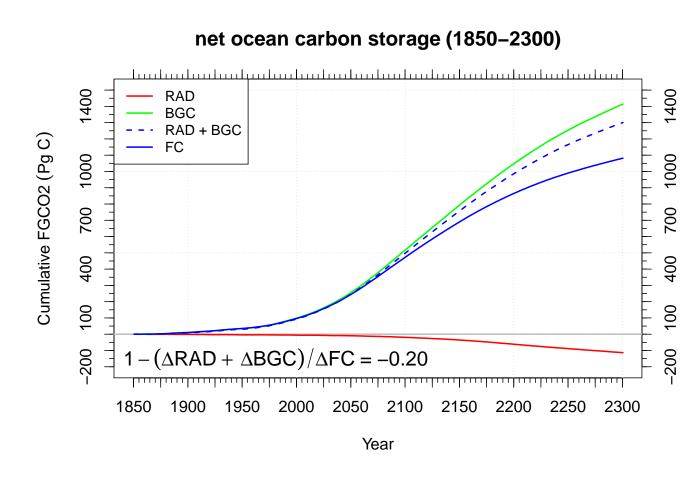
## $E_C^{\rm FC} \, (\operatorname{Pg} \, \mathbf{C}) \qquad \qquad 2072 \qquad \qquad 4486 \qquad \qquad 4955 \qquad \qquad \underline{g(E_C^{\rm BGC}, E_C^{\rm FC})}$

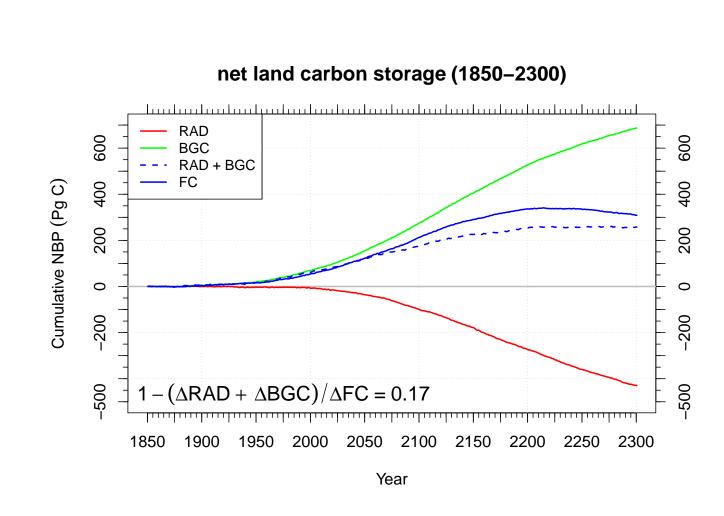


**Figure 4:** (a) The gross primary production (GPP) of the FC simulation exhibited larger than expected gains under the combined conditions of increasing temperature and elevated  $CO_2$ . (b) The trajectories of ecosystem respiration (ER) for all three simulations correspond well with and were slightly lower than GPP. (c) The net primary production (NPP) for the FC simulation cross that of the BGC simulation just before 2200 due primarily to hydrological imbalances in regions where strong drying was expected to occur. (d) Precipitation over land increased as a result of strong temperature increases in the RAD and FC simulations, with no appreciable change seen in the BGC simulation. After 2100, the FC simulation exhibited higher than expected precipitation, likely driven by increases in recycling attributable to gains in canopy evaporation. (e) Correspondingly, the FC simulation exhibited larger than expect evapotranspiration (ET). (f) Shown are the most significant drivers of hydrological and ecological changes exhibited by the RAD, BGC, and FC simulations. (g) Despite the lack of increasing precipitation in the BGC simulation, net P - ET was slightly above that of the RAD simulation. (h) Trajectories of total liquid runoff corresponded well with trajectories of P - ET. (i) The FC and BGC simulations exhibited similar trajectories of soil moisture to 1 m depth.

# Climate—Carbon Cycle Feedback Analysis

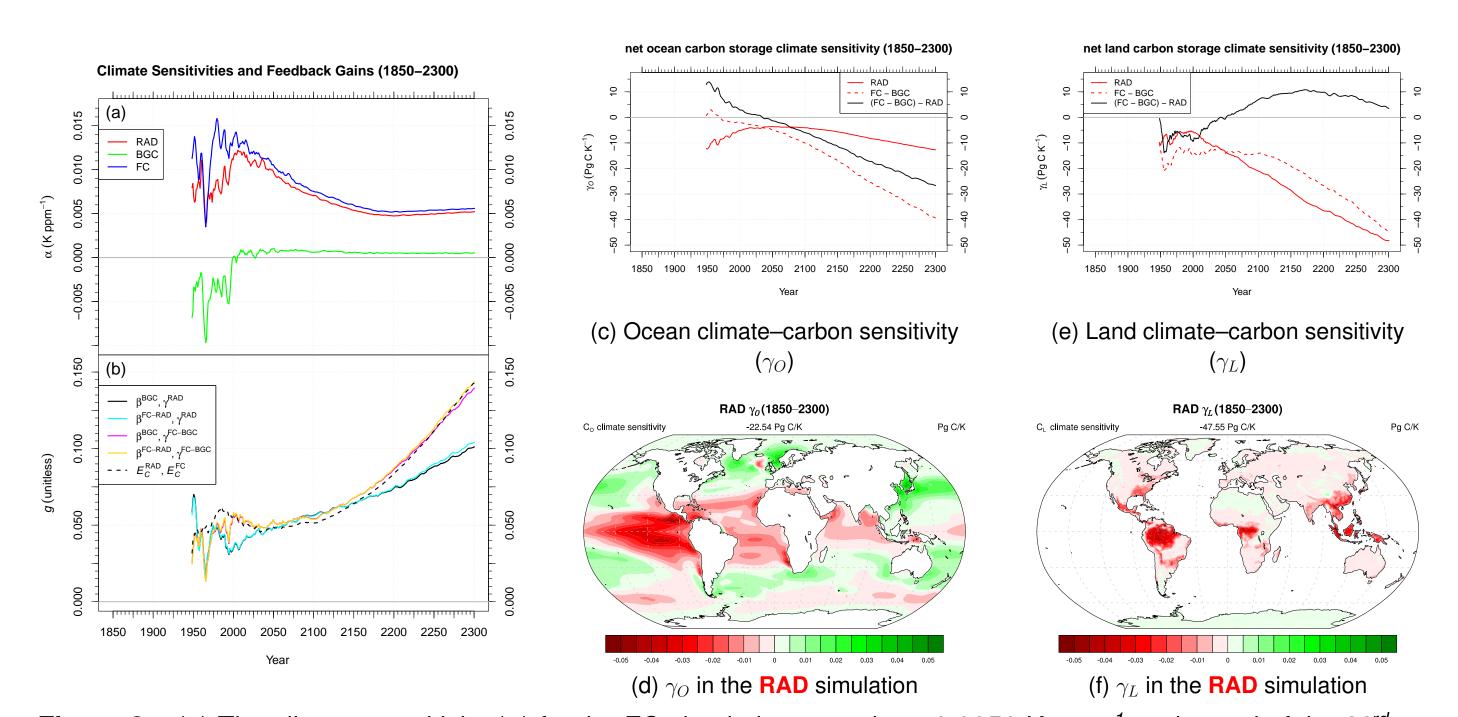
RAD simulation.





(a) Cumulative net ocean carbon storage (1850–2300) (b) Cumulative net land carbon storage (1850–2300)

**Figure 2:** (a) Net ocean carbon storage, integrated from 1850 to 2300, for the BGC simulation was 1414 Pg C, for the FC simulation was 1082 Pg C, and for the RAD simulation was -113 Pg C. (b) Net land carbon storage, integrated from 1850 to 2300, for the BGC simulation was 687 Pg C, for the FC simulation was 309 Pg C, and for the RAD simulation was -430 Pg C.



**Figure 3:** (a) The climate sensitivity ( $\alpha$ ) for the FC simulation was about 0.0056 K ppm<sup>-1</sup> at the end of the 23<sup>rd</sup> century. (b) The climate–carbon cycle feedback gain (g) clustered around two different values, depending on the method and experiments used to calculate it. (c), (d) The climate–carbon sensitivity,  $\gamma_{C}^{\text{RAD}}$ , was –12.69 Pg C K<sup>-1</sup> at the end of the 23<sup>rd</sup> century. (e), (f) The land climate–carbon sensitivity,  $\gamma_{L}$ , was –48.25 Pg C K<sup>-1</sup> at the end of the 23<sup>rd</sup> century.

## **Discussion and Conclusions**

- We found that **climate–carbon sensitivities** ( $\gamma$ ) derived from radiatively (RAD) coupled simulations produced a net ocean carbon storage climate sensitivity that was **weaker** and a net land carbon storage climate sensitivity that was **stronger** than those diagnosed from the fully coupled (FC) and biogeochemically coupled (BGC) simulations.
  - For the ocean, this nonlinearity was associated with warming-induced weakening of ocean circulation and mixing in the radiatively coupled (RAD) simulation that limited exchange of dissolved inorganic carbon between surface and deeper water masses.
- For the land, this nonlinearity was associated with strong gains in gross primary production in the fully coupled (FC) simulation, driven by enhancements in the hydrological cycle and increased nutrient availability.
- We developed and applied a **nonlinearity metric** to diagnose the degree to which radiatively (RAD) and biogeochemically (BGC) coupled results produce the fully coupled (FC) result in model responses and driver variables.
- The climate—carbon cycle **feedback gain** (*g*) at 2300 was 42% higher when estimated from climate—carbon sensitivities derived from the difference between the fully coupled and biogeochemically-only coupled simulations than when derived from the radiatively-only coupled simulation.
- Our results suggest that comparable estimates of the climate–carbon cycle feedback gain (g) should be calculated from temperature sensitivity parameters ( $\gamma$ ) derived from the combination of fully (FC) and biogeochemically (BGC) coupled simulations.
- Underestimating the climate-carbon cycle feedback gain (g) would result in allowable emissions estimates too low to meet climate change targets.

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